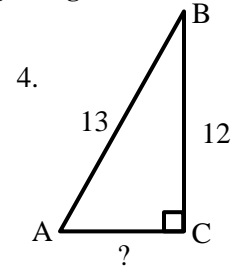
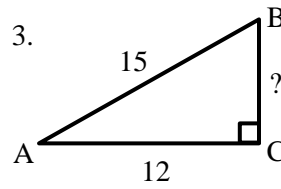
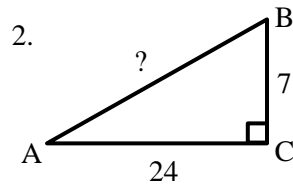
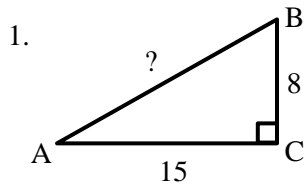
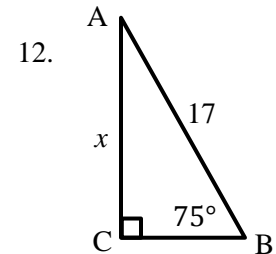
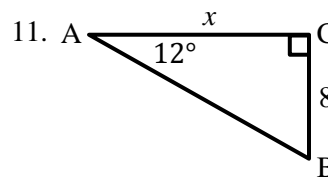
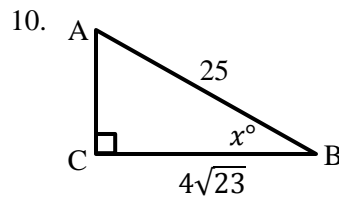
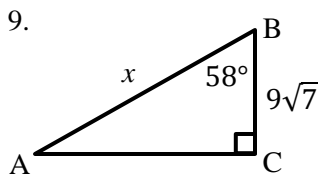
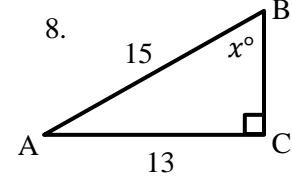
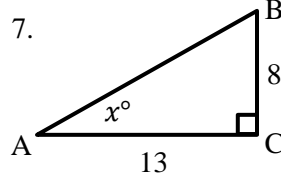
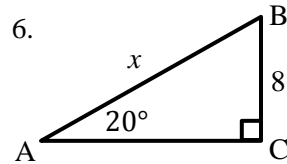
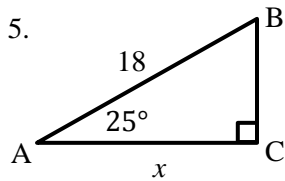


[1-4]: Find the sine, cosine, and tangent ratios for angle A and for angle B in each of the following triangles.
 (Hint: Use the Pythagorean theorem to find the missing side in the triangle first.)



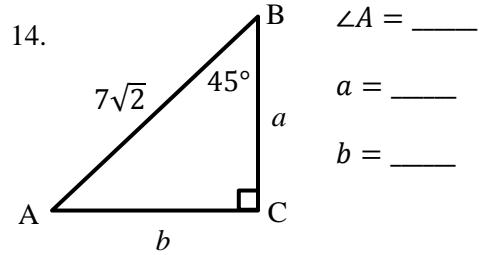
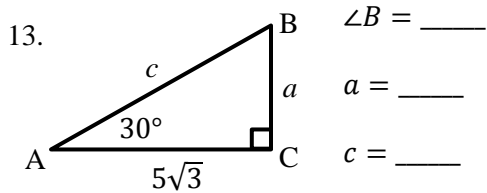
$\sin A = \underline{\quad}$ $\sin B = \underline{\quad}$ $\sin A = \underline{\quad}$ $\sin B = \underline{\quad}$ $\sin A = \underline{\quad}$ $\sin B = \underline{\quad}$ $\sin A = \underline{\quad}$ $\sin B = \underline{\quad}$
 $\cos A = \underline{\quad}$ $\cos B = \underline{\quad}$ $\cos A = \underline{\quad}$ $\cos B = \underline{\quad}$ $\cos A = \underline{\quad}$ $\cos B = \underline{\quad}$ $\cos A = \underline{\quad}$ $\cos B = \underline{\quad}$
 $\tan A = \underline{\quad}$ $\tan B = \underline{\quad}$ $\tan A = \underline{\quad}$ $\tan B = \underline{\quad}$ $\tan A = \underline{\quad}$ $\tan B = \underline{\quad}$ $\tan A = \underline{\quad}$ $\tan B = \underline{\quad}$

[5-12]: Use right-triangle trigonometry to find the value for x , without calculator. Once you have solved for x without calculator, use a scientific calculator to find the value of x to the nearest thousandth (*i.e.* 3 decimal place accuracy.)

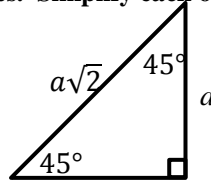
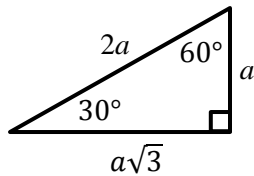


[13-14]: Use only right-triangle trig and the sum of the angles of a triangle to solve the triangle.

{To solve a triangle means to find all angle measures and the length for each side of the triangle.}



[15-17]: Hopefully you noticed that the previous two problems were special right triangles. The generalized form for the $30^\circ:60^\circ:90^\circ$ right triangle and the $45^\circ:45^\circ:90^\circ$ right triangle are shown below. Find the sine, cosine, and tangent ratios for 30° , 60° , and 45° using these generalized special right triangles. Simplify each of the ratios too.



15. $\sin 30^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

16. $\sin 60^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

17. $\sin 45^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

$\cos 30^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

$\cos 60^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

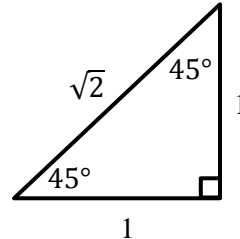
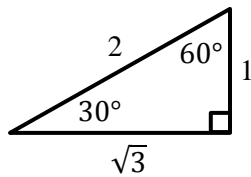
$\cos 45^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

$\tan 30^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

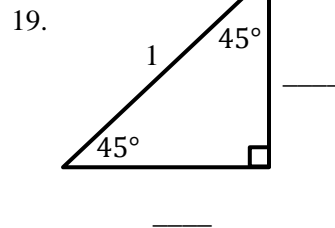
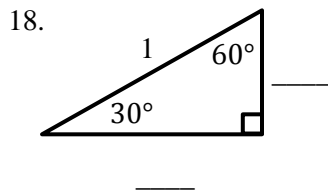
$\tan 60^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

$\tan 45^\circ = \underline{\hspace{1cm}} = \underline{\hspace{1cm}}$

Notice the a 's reduce from each of the fractions above; therefore, we can use a simplified form of the generalized special right triangles where $a = 1$ when doing sine, cosine, or tangent of 30° , 45° , or 60° .



[18-19]: It is also advantageous to have the hypotenuse of these special right triangles with a length of 1. Convert each of the special right triangles so that its hypotenuse has length 1 by multiplying by the appropriate scale factor. Label the length for each side of the triangle.



[20-22]: Fill-in the missing information in the following drawings; each triangle is a special right triangle.

